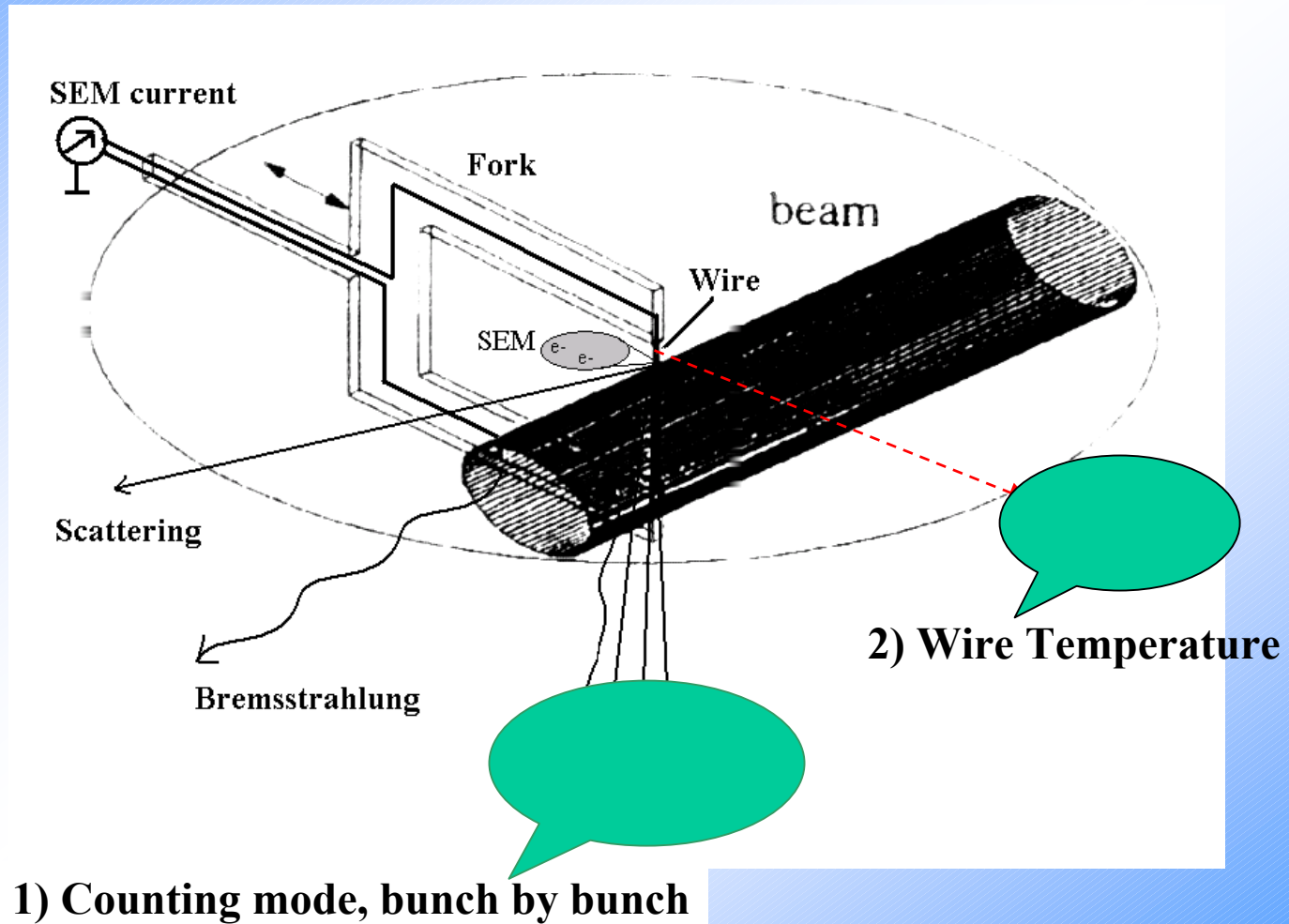
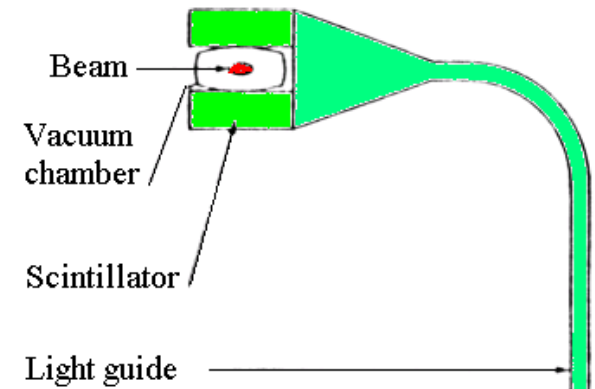
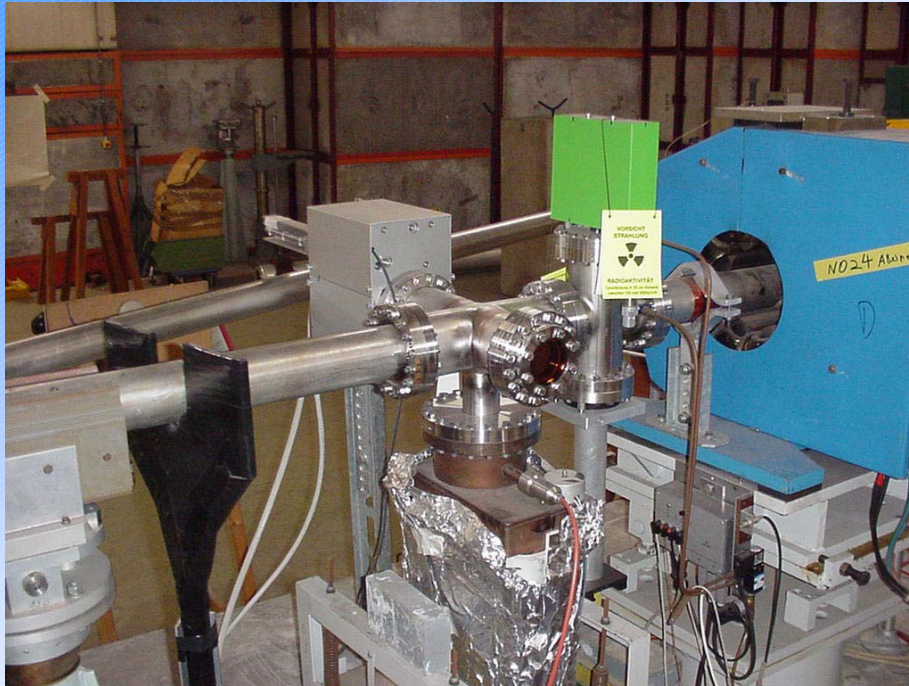


# Beam tail measurements by wire scanners

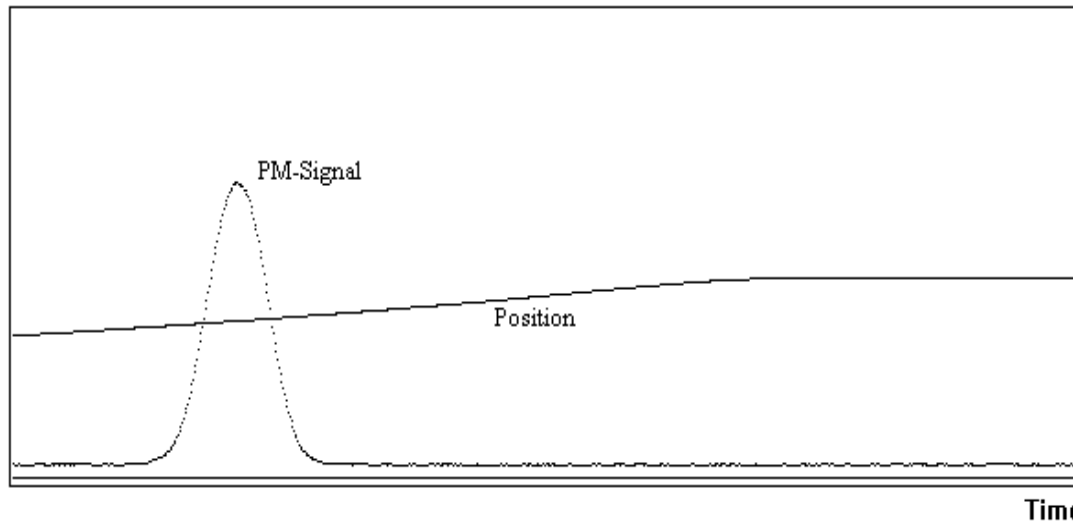
By Kay Wittenburg,  
Deutsches Elektronen Synchrotron DESY, Hamburg, Germany



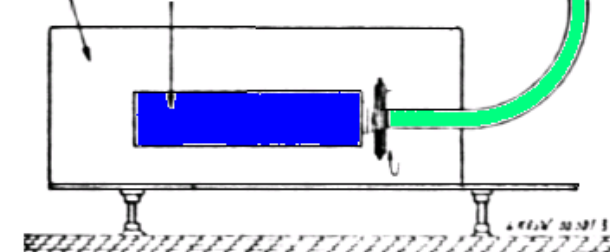
# Typical Wire Scanner Setup



Volt



Detector box  
Photomultiplier



# 1) Counting Mode

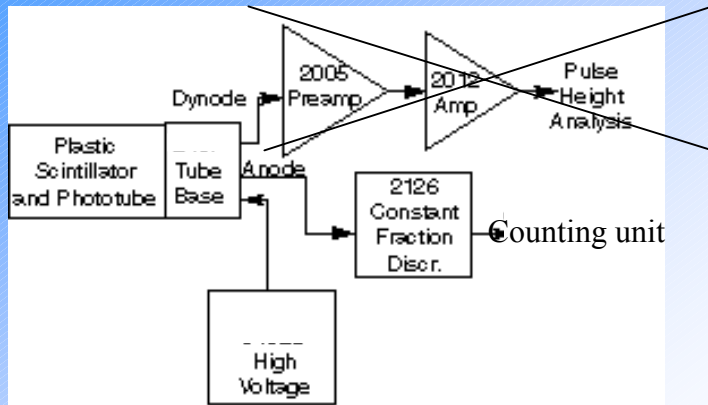
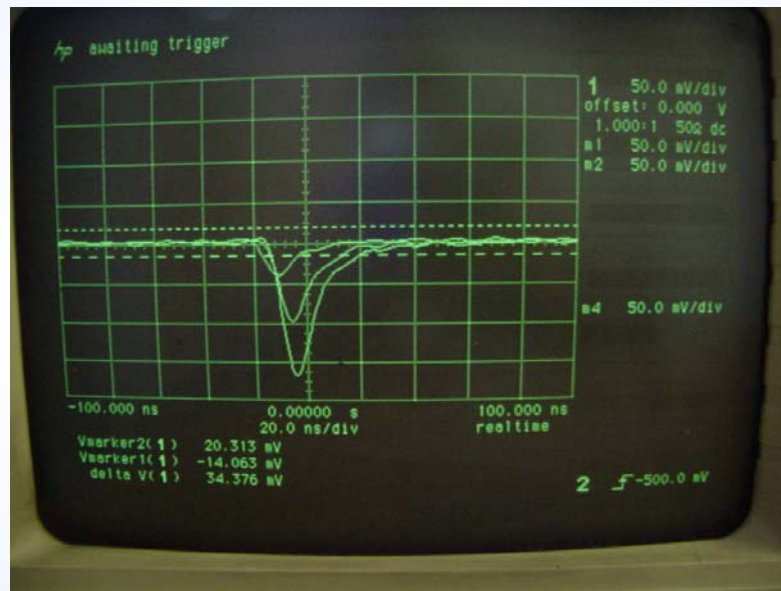
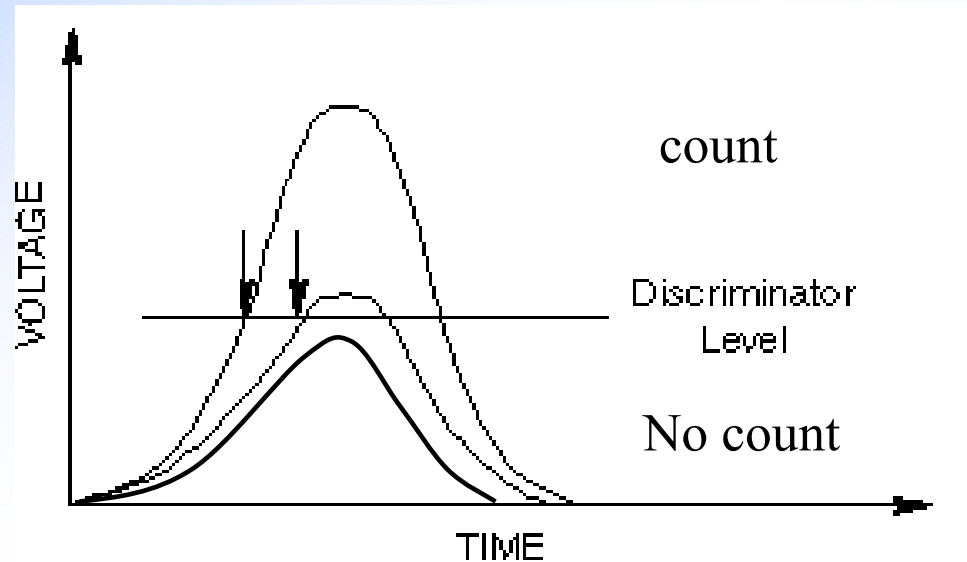
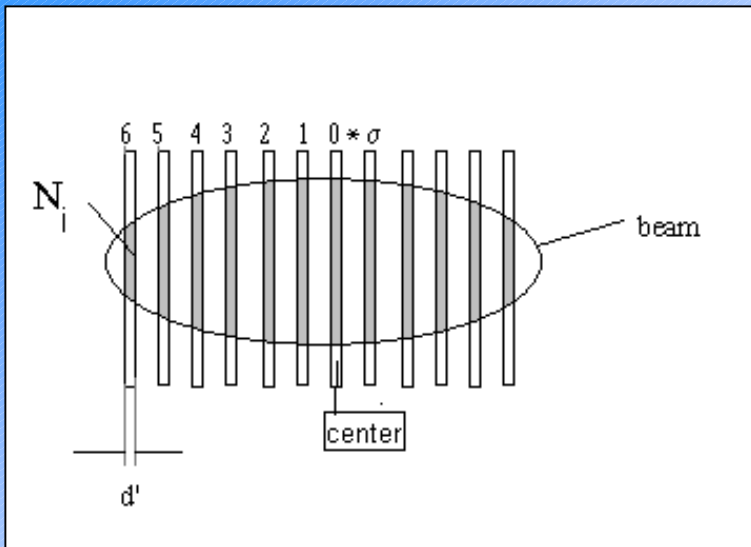


Figure 1.8: Plastic Scintillation Detector Electronics





$$N_i = n_{bunch} \cdot \int_{i \cdot \sigma - \frac{d'}{2}}^{i \cdot \sigma + \frac{d'}{2}} \frac{1}{\sigma_h \cdot \sqrt{2 \cdot \pi}} \cdot \exp\left(\frac{-x^2}{2 \cdot \sigma_h^2}\right) dx$$

$N$  = protons intersecting wire area

$\sigma$  = beam width (0.527 mm)

$d'$  = wire diameter (7  $\mu$ m)

$N_{bunch} = 2.8 \cdot 10^{10}$  protons

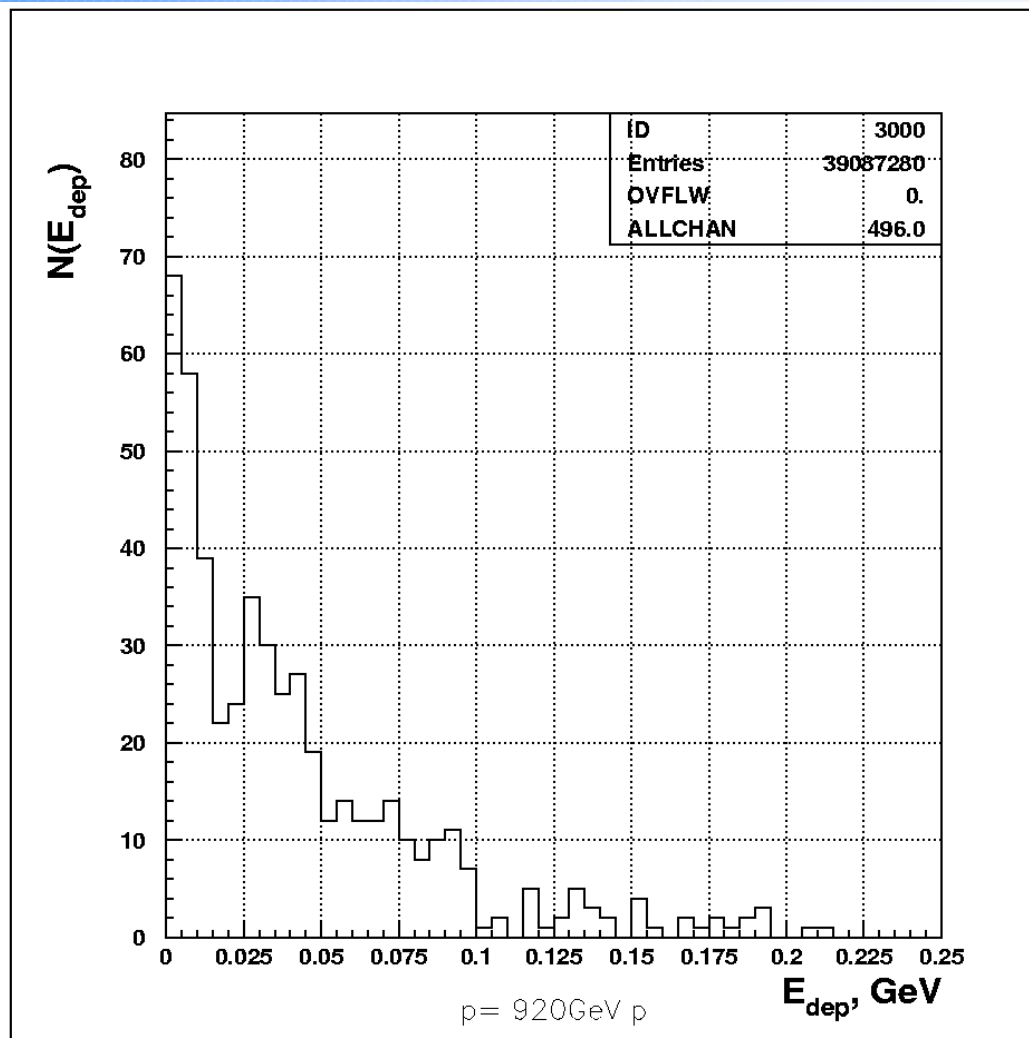
Bunch Rate = 1/96 ns = 10.4 MHz

Assume signal efficiency of  $10^{-7}$

Rate: [Counts/bunch] [Counts/s]

Position	$N_i =$	$Eff_i =$	$S_i =$	
Center	$1.484 \cdot 10^8$	14.837	$1.543 \cdot 10^8$	Saturation
1 $\sigma$	$8.999 \cdot 10^7$	8.999	$9.359 \cdot 10^7$	
2 $\sigma$	$2.008 \cdot 10^7$	2.008	$2.088 \cdot 10^7$	
...	$1.648 \cdot 10^6$	0.165	$1.714 \cdot 10^6$	
6 $\sigma$	$4.978 \cdot 10^4$	$4.978 \cdot 10^{-3}$	$5.177 \cdot 10^4$	Lower limit
	553.033	$5.53 \cdot 10^{-5}$	575.154	
	2.26	$2.26 \cdot 10^{-7}$	2.351	
	$3.399 \cdot 10^{-3}$	$3.399 \cdot 10^{-10}$	$3.534 \cdot 10^{-3}$	
	$1.88 \cdot 10^{-6}$	$1.88 \cdot 10^{-13}$	$1.955 \cdot 10^{-6}$	
	$3.825 \cdot 10^{-10}$	0	$3.978 \cdot 10^{-10}$	
	$2.864 \cdot 10^{-14}$	0	$2.978 \cdot 10^{-14}$	

# Monte Carlo Simulation (920 GeV/c protons)



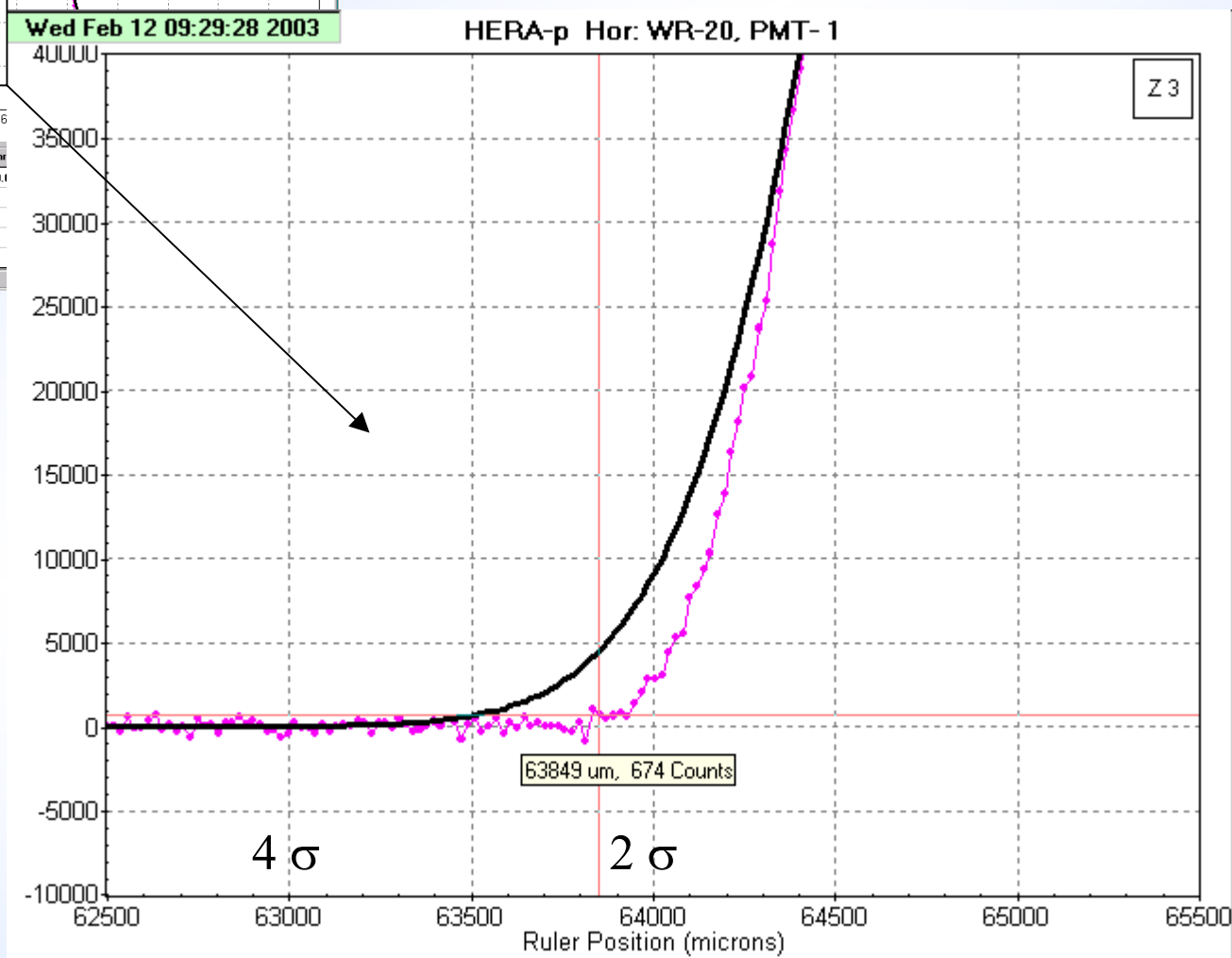
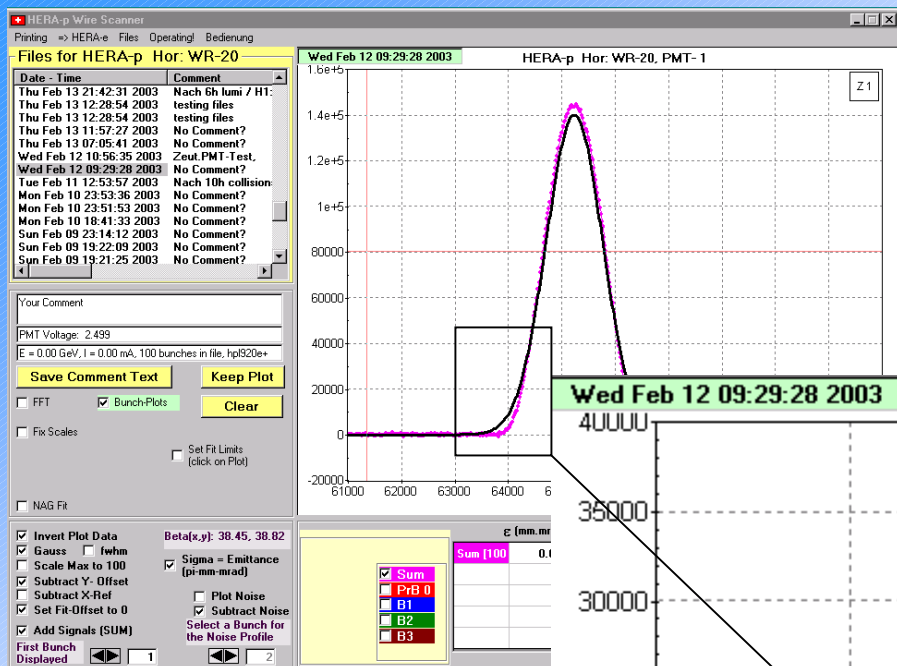
The distribution of the signal from scintillation detector.  $E > 1 \text{ keV}$ , **15 micron Quartz wire**

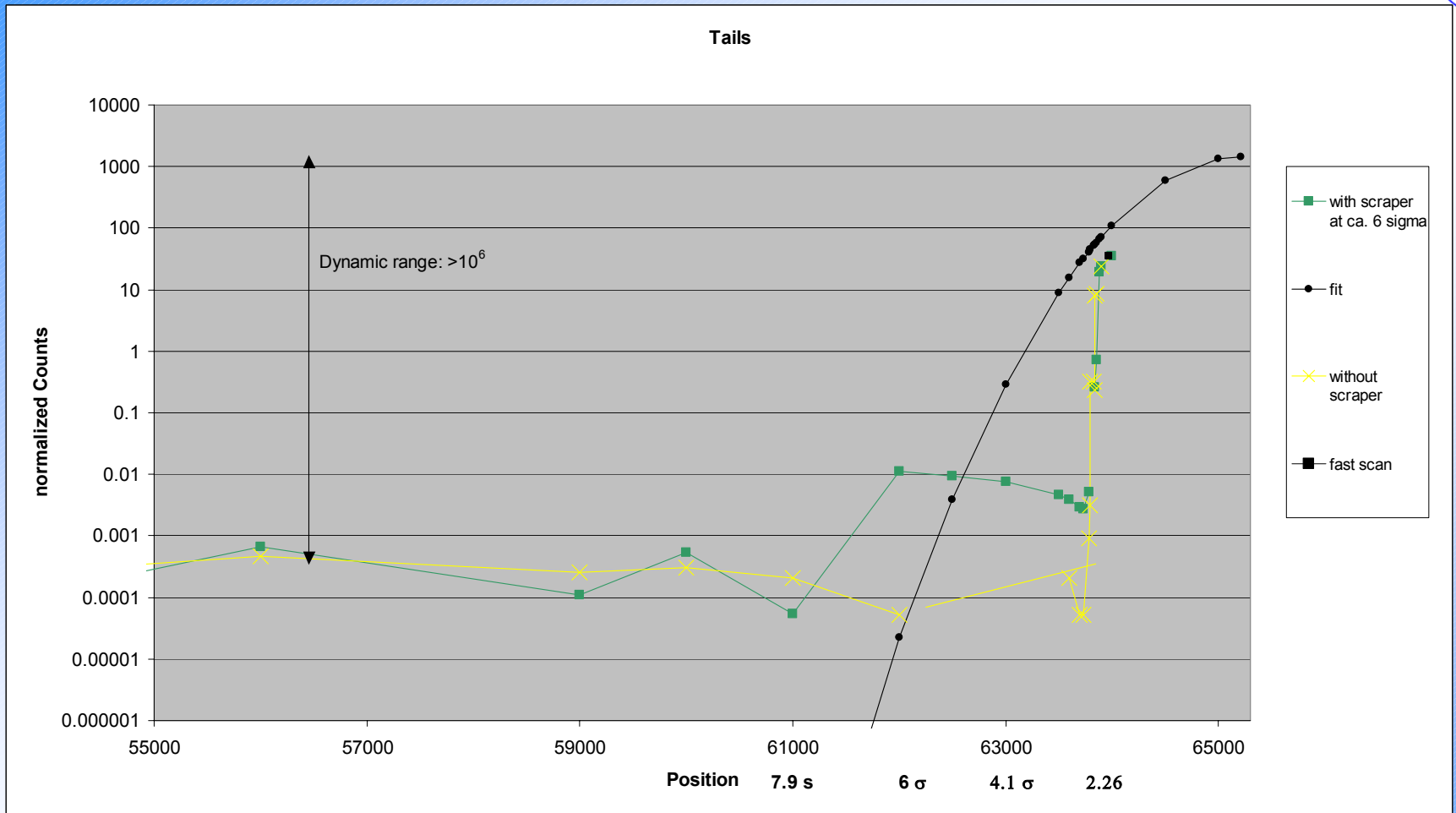
Efficiency: # Energy depositions/protons hitting wire:  $496/39087280 = 1.27 \cdot 10^{-5}$ .

Varying threshold between 10 – 200 MeV  $\Rightarrow$  Efficiency  $\approx 10^{-5} - < 10^{-7}$



Fast scan  
 $E=920\text{ GeV}/c$   
 $P\text{-}e^+$  collisions





Normalized count rate: normalized to ADC value from fast scan  
 measured rate = normalized rate \*  $1.8 * 10^4$



# Count rates during two tail scans

180 bunches, 45 mA,  $2.8 \times 10^{10}$  p/bunch

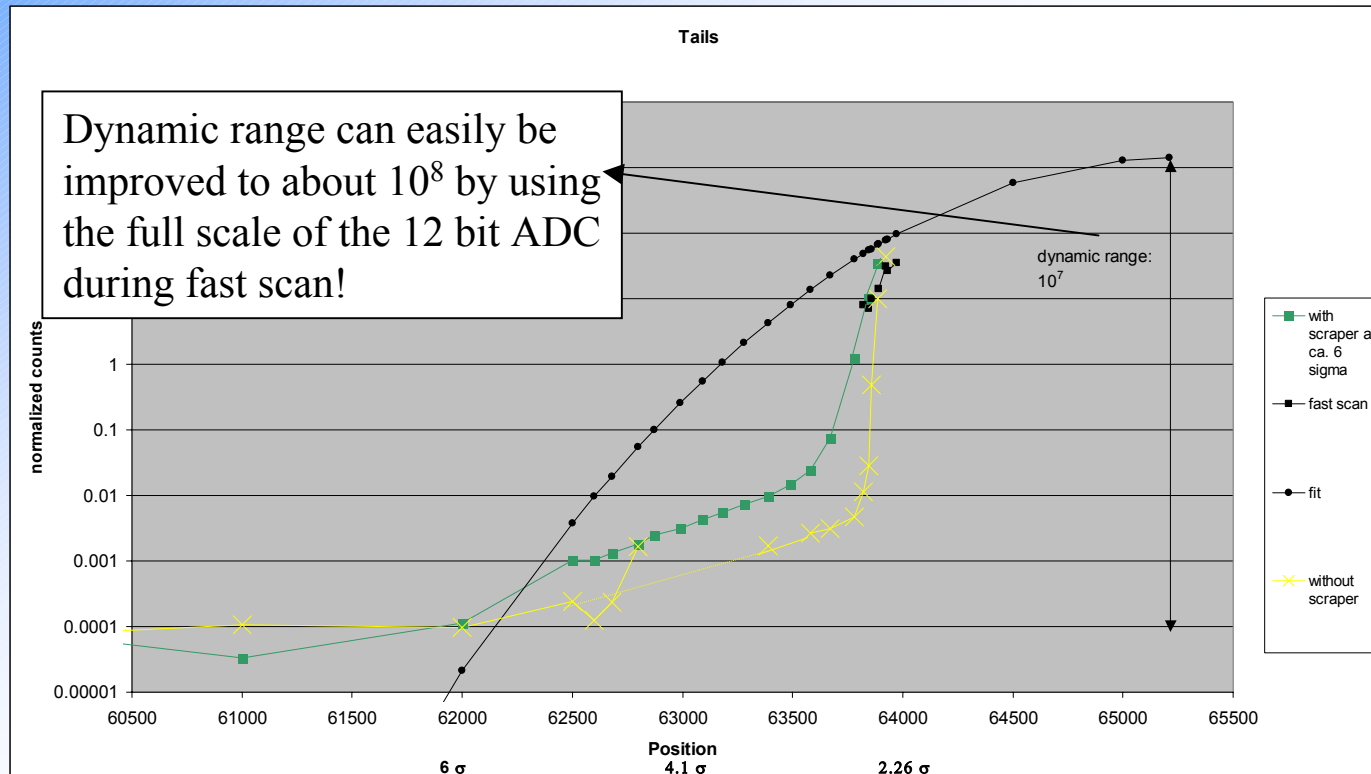
Signals due to beam losses

Counting: with scraper		without scraper		2 meas. Without scraper		with scraper	
Position	Counts/9s	Position	Counts/9s	Position	Counts/9s	Position	Counts/9s
0	22	0	21	0	474	0	437
39000	27	39000	20	39000	484	39000	431
45000	34	45000	19	45000	481	45000	440
50000	41	50000	24	50000	526	50000	437
53000	26	53000	20	53000	504		
56000	37	56000	21	56000	452		
59000	16	59000	19	59000	468		
60000	35	60000	16	60000	490	60000	412
61000	26	61000	14	61000	525	61000	422
62000	231	62000	15	62000	972	62000	446
62500	198	63000	19			62500	724
63000	165	63400	18			62600	717
63500	110	63469	15			62680	810
		63376	9			62800	966
		63501	16			62873	1165
		63545	19	62952	981	62990	1355
63600	95	63593	13			63090	1685
63700	79	63632	26	63182	1280	63180	2058
63730	75	63684	33	63283	1444	63280	2613
63780	118	63735	75	63377	1943	63390	3349
63840	4858	63792	6212	63491	3970	63490	4818
63853	13062	63797	4584	63565	9343	63580	7651
63885	349601	63832	155412	63689	150218	63670	23162
63900	443597	63835	164807	63784	3141843	63780	380240
63993	642042	63846	466030	63835	13839428 saturation!	63846	2999750
						63887	10138644 saturation!
Fast Scan:		ADC entry		ADC entry		ADC entry	
63970		63925	35	63820	8		
				63856	10		
				63892	14		
				63925	31		

1. measurement

2. measurement with increased sensitivity

# Higher sensitivity by reduced threshold




Normalized count rate: normalized to ADC value from fast scan

Real rate = normalized rate \*  $3 \cdot 10^5$

## Counting mode tail scans:

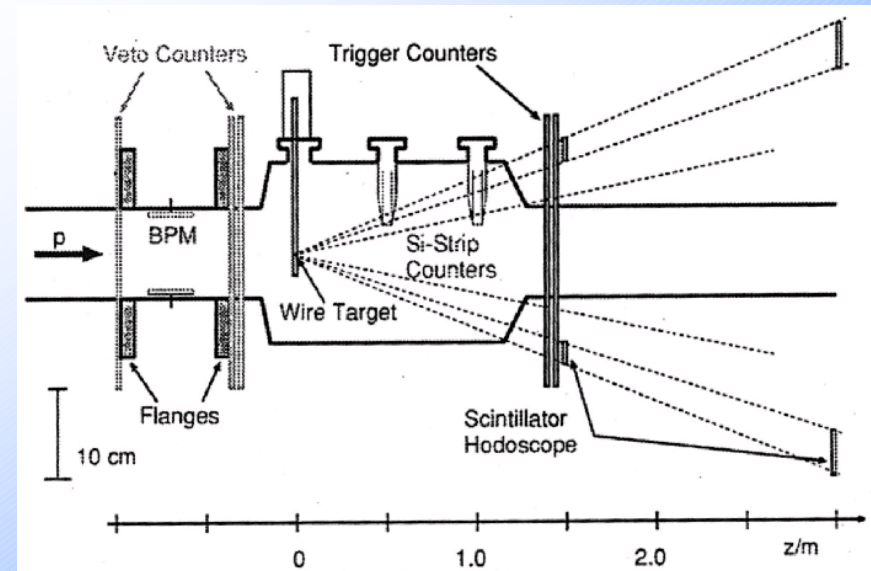
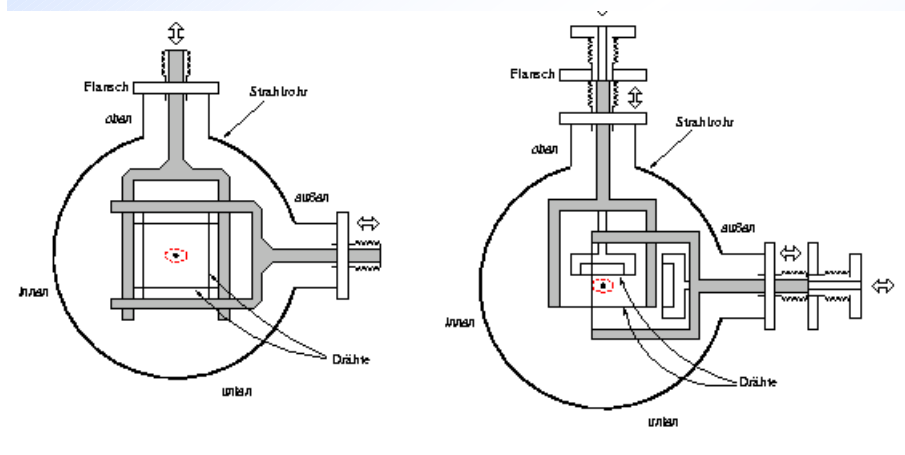
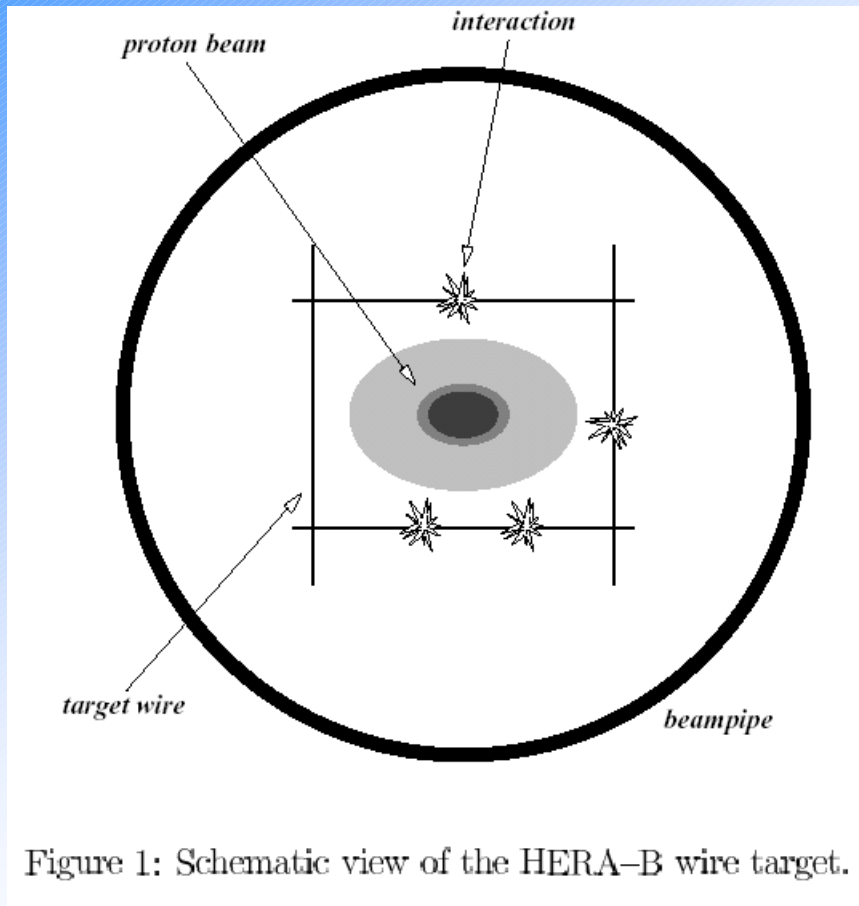
### Improvements:

- Better overlap between fast scans and counting mode
    - fitting tails in fast scans
    - apply Poisson statistic at high count rates
    - reduced sensitivity? (burning the wire?)
  - Noise (real beam loss) reduction 
- 

### Questions:

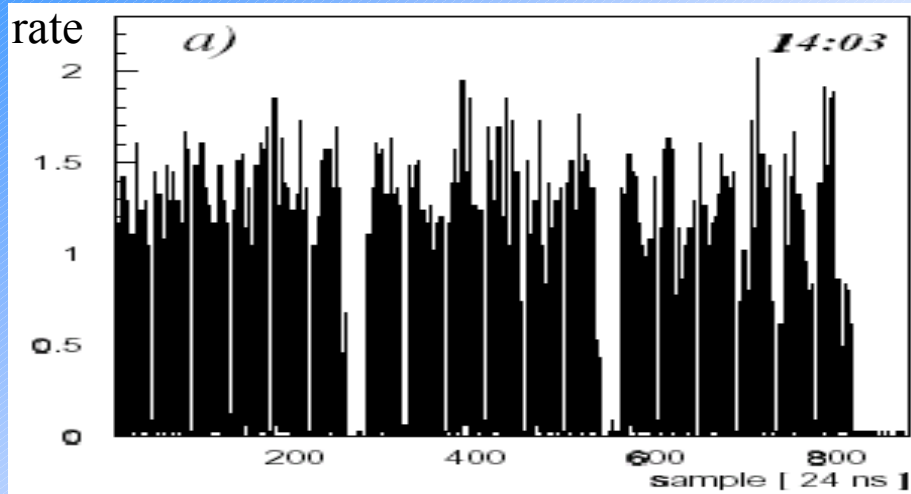
- What is the threshold?  
Calibration of sensitivity
- At which  $\sigma$  the wire will burn?
- More parameters can be measured:

# HERA-B Detector

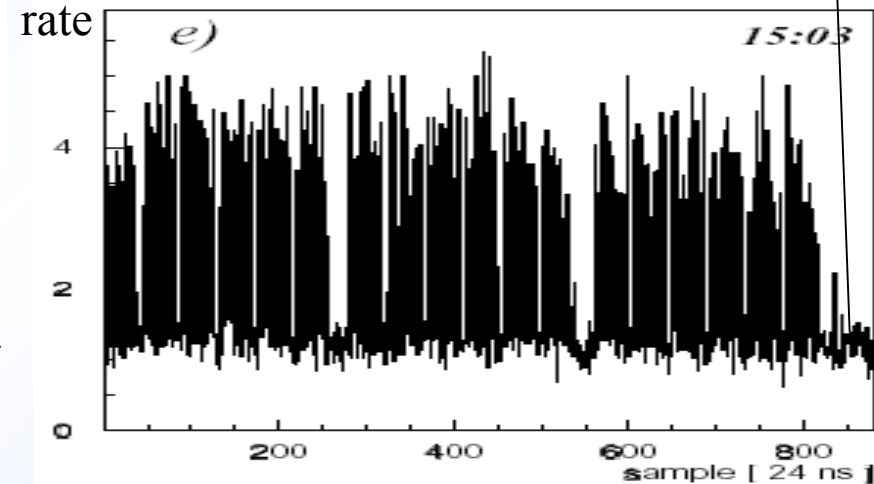


Detection efficiency  $> 50\%$

# Detection of coasting beam

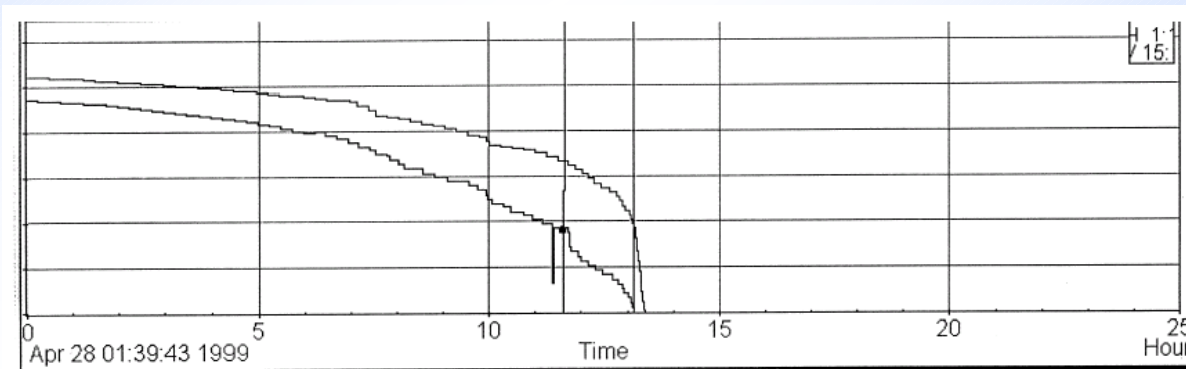


Note the increased rate in the Bunch gaps (=coasting beam)

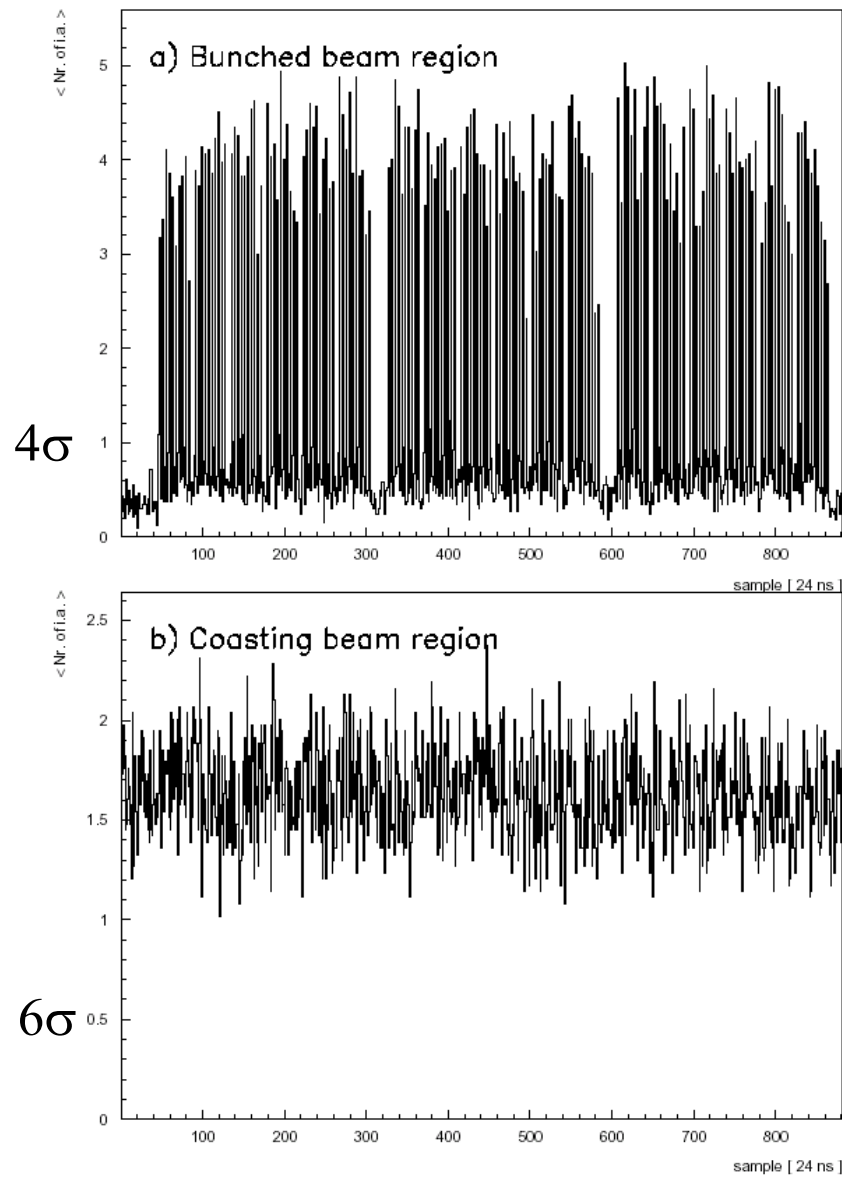


1 h

Another method:



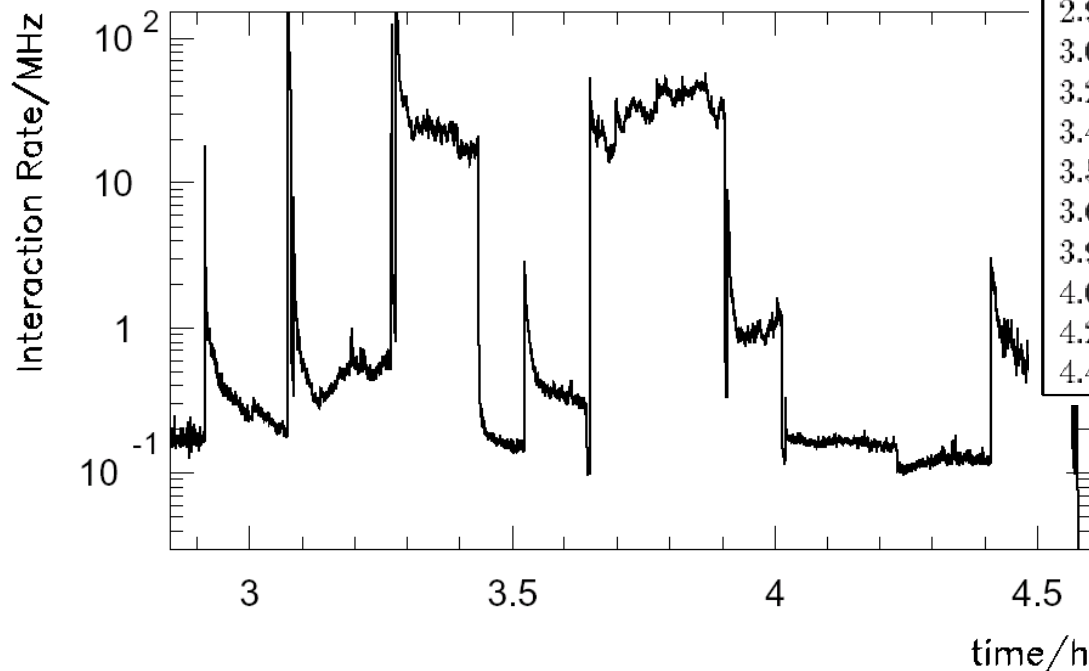
Total DC current (upper) and total bunch current (lower)



**Figure 11.2:** The time structure of the proton interaction for an outer target wire at different distances of the wire to the beam center: a) wire  $\approx 4\sigma$  from the beam center and b) wire  $\geq 6\sigma$  from the beam center.

The negative horizontal dispersion leads to signals on the outside wires

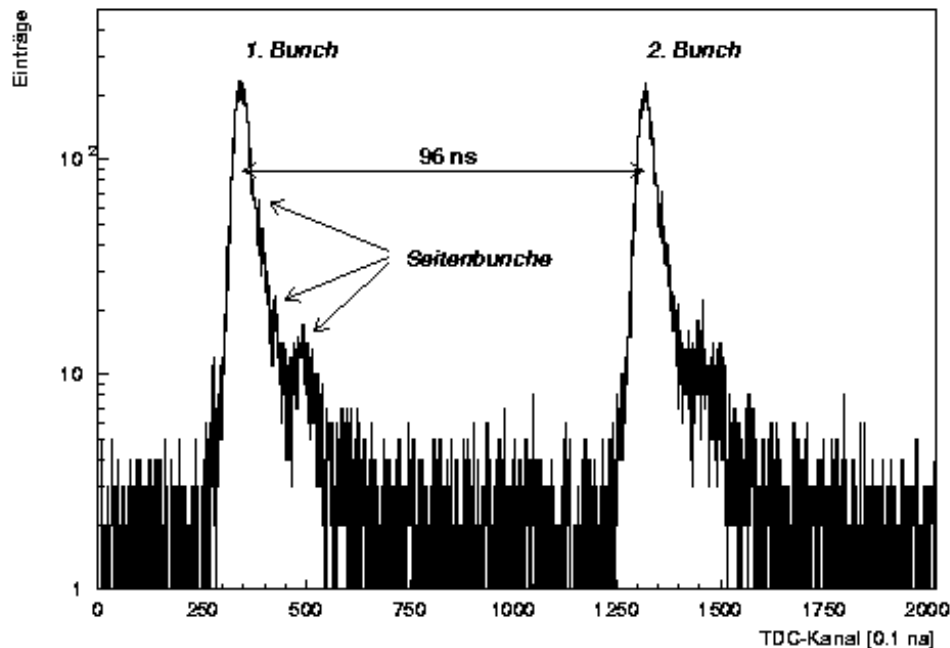
The HERA-B experiment [43] uses an internal wire target inserted into the halo of the stored HERA proton beam. While machine performance was improved during recent years, this halo practically vanished. Therefore the wire target has to be moved close to the beam core at about  $3$  to  $4\sigma$  in order to keep the actual rate constant at the design rate of five interactions per bunch crossing. As it was observed, this leads to a high sensitivity of the interaction rate to beam orbit jitter of very small amplitudes. To overcome this situation, it has been suggested to artificially create some beam halo by means of tune modulation [42].



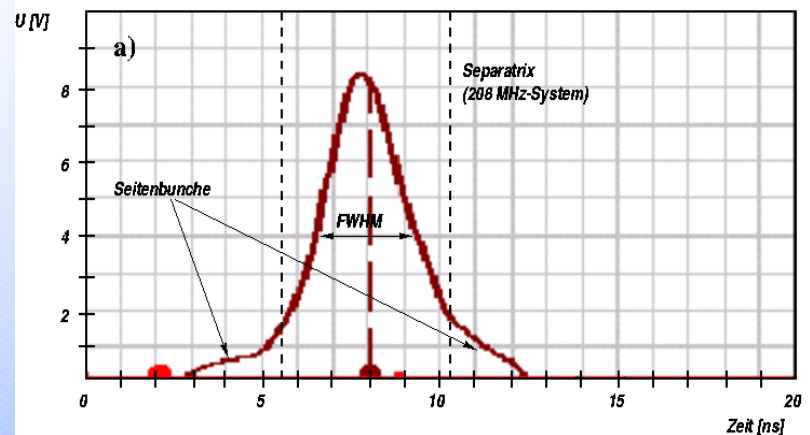
time/h	$f_1/\text{Hz}$	$U_1/\text{V}$	$f_2/\text{Hz}$	$U_2/\text{V}$	rate/MHz
2.8	0	0	0	0	$0.18 \pm 0.03$
2.92	40	2.5	190	2.5	$0.27 \pm 0.03$
3.08	20	2.5	190	2.5	$0.35 \pm 0.04$
3.27	10	2.5	190	2.5	$23 \pm 5$
3.4	0	0	0	0	$0.16 \pm 0.02$
3.52	10	2.5	0	0	$0.35 \pm 0.05$
3.65	10	2.5	190	2.5	$30 \pm 0.8$
3.9	10	1.875	190	1.875	$0.9 \pm 0.15$
4.02	10	1.25	190	1.25	$0.17 \pm 0.02$
4.23	10	0.625	190	0.625	$0.12 \pm 0.015$
4.42	10	2.5	0	0	$0.6 \pm 0.1$

# Neighbor-buckets

Abbildung 5.3: Das TDC-Spektrum beim Betrieb eines äußeren Drahttargets zeigt die zeitliche Zuordnung der Wechselwirkungen innerhalb eines Zeitraums von 202 ns bei einer zeitlichen Auflösung von 0,1 ns. Wechselwirkungen von Protonen zwischen den gefüllten Bunchen sind wie in Abbildung 5.2 beim Betrieb eines äußeren Targetdrahtes auch in den Daten des TDC-Systems zu sehen.



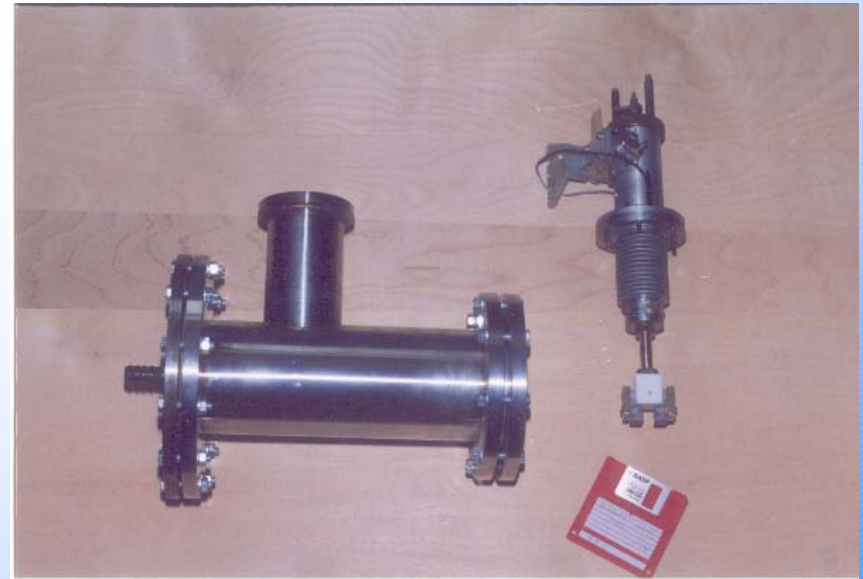
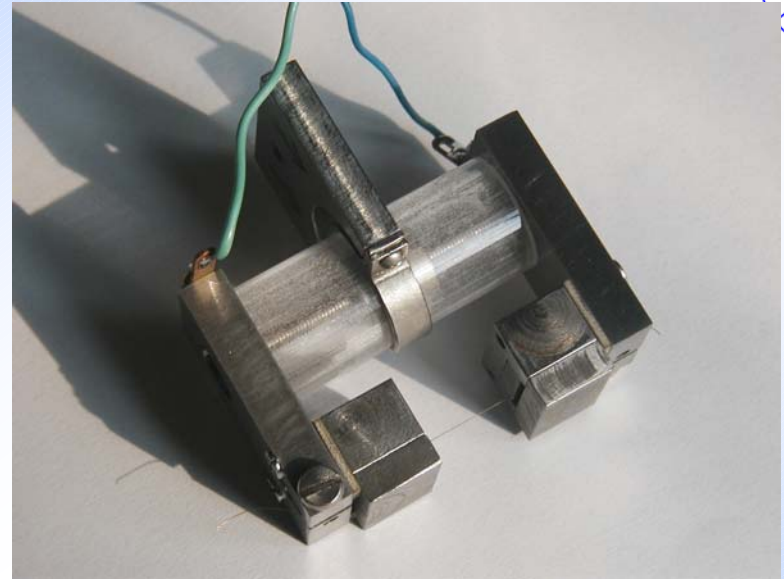
Another method: Fast wall current monitor



## 2) Temperature: Vibrating wire for beam tail scanning

S. G. Arutunian, N. M. Dobrovolski, M. R. Mailian, I. G. Sinenko, and I. E. Vasiniuk *Yerevan Physics Institute, Alikhanian Brothers Street 2, 375036, Yerevan, Armenia*, PHYSICAL REVIEW SPECIAL TOPICS - ACCELERATORS AND BEAMS, VOLUME 2, 122801 (1999)

For wire temperature measurement is proposed to use the strong dependence of frequency of normal oscillations of tensioned wire on temperature. Hence the stretched wire temperature can be obtained by measuring its natural oscillations frequency by an autogenerator electronic circuit with a positive feedback loop. The temperature sensitivity of the vibrating wire sensor estimated on the level  $10^{-4} \text{ }^{\circ}\text{C}$ . The wire vibration is achieved by an alternating current passing through the wire (about 1 mA) with a permanent magnetic at one end. The magnetic field can be concentrate only on definite parts of the wire, in a such way, that the remaining magnetic field free part of the wire can be used for scanning.



The part of vacuum chamber with the vibrating wire scanner and the translator mechanism.

# Vibrating wire scanner: first experimental results on the injector beam of Yerevan synchrotron

Arutunian S.G., Dobrovolski N.M., Mailian M.R., Vasiniuk I.E. Yerevan Physics Institute

In Phys. Rev. ST Accel. Beams **6**, 042801 (2003)

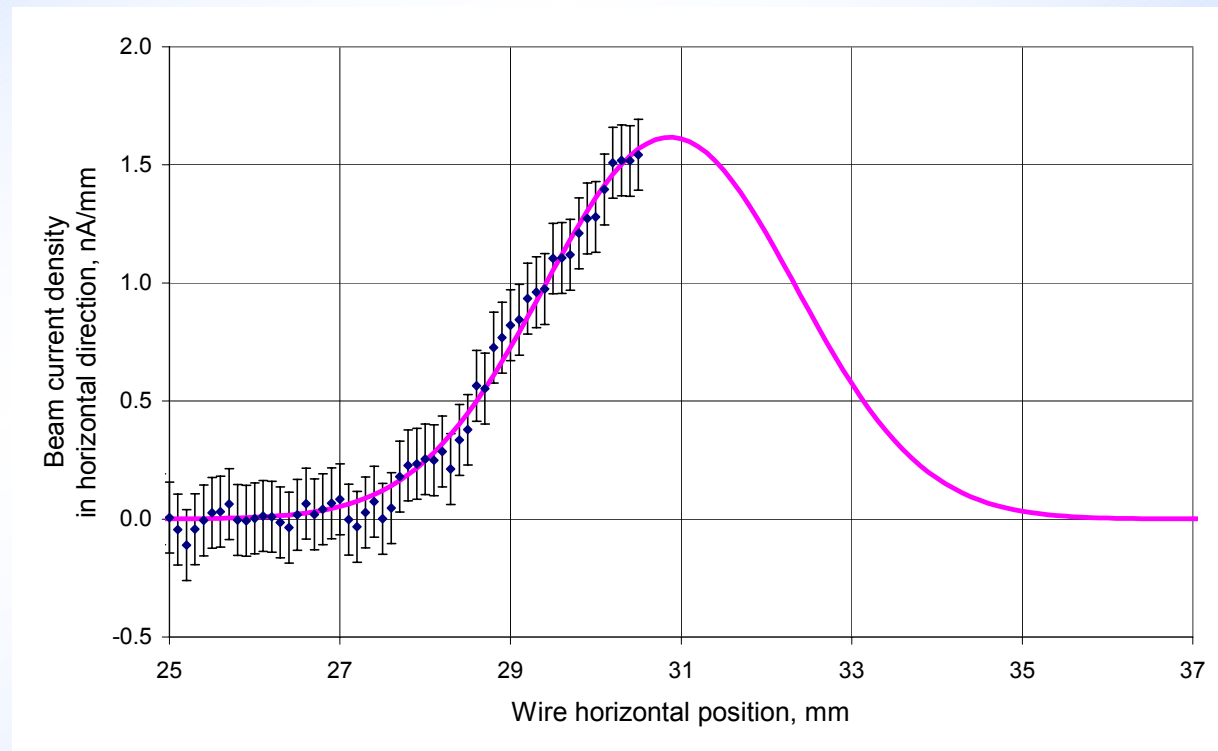


The first experimental results of the transversal scanning of the injector electron beam (10 nA after collimation) of Yerevan synchrotron by scanner based on the vibrating wire (vibrating wire scanner - VWS) are presented and the corresponding horizontal beam profiles are obtained.

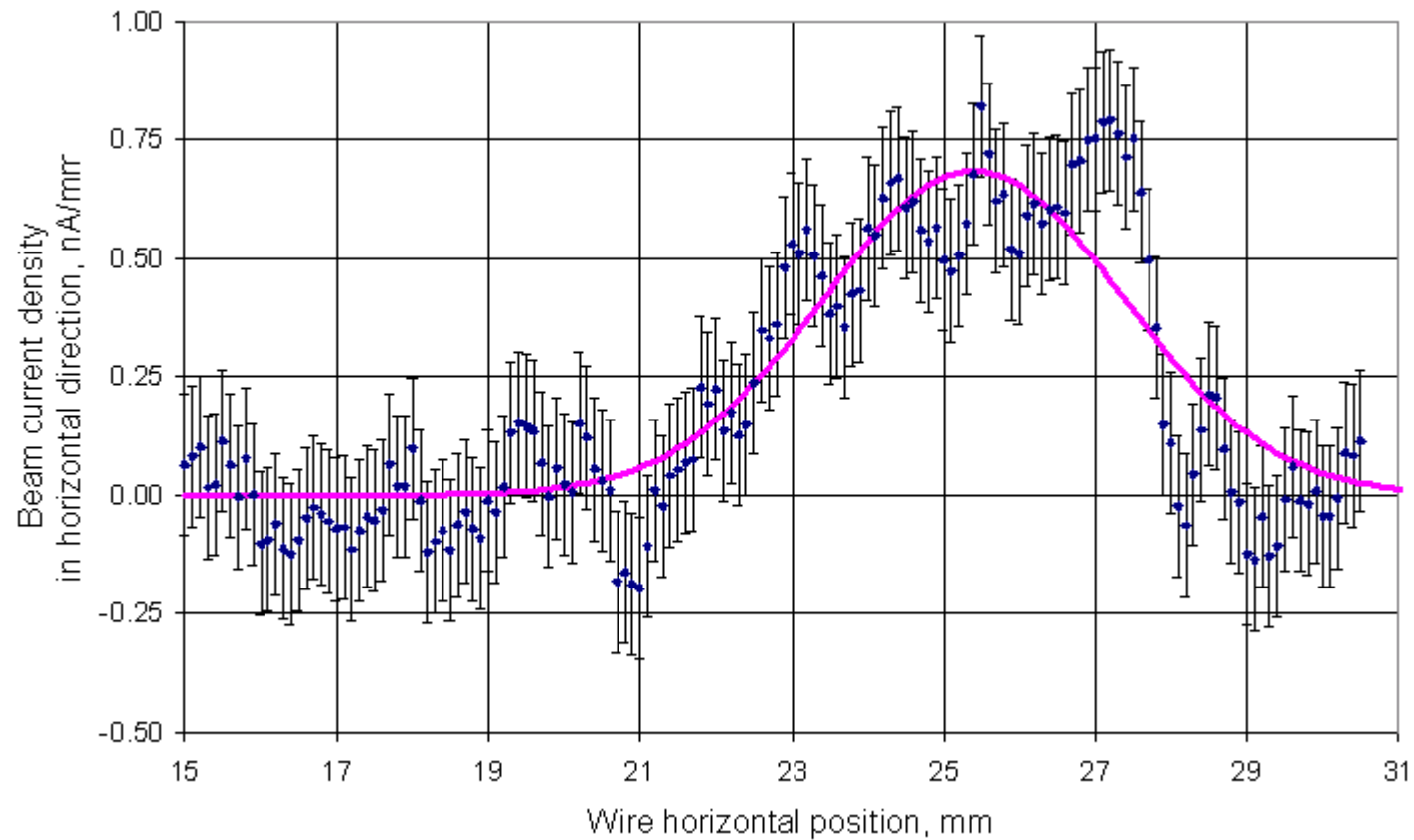
vibrating wire: 90  $\mu\text{m}$  beryl-bronze wire

bunches with RF of 2797.3 MHz with pulse duration of 2  $\mu\text{s}$ . The repetition rate of pulses was 50 Hz.

The figure presents the profile of the beam approximated by a normal distribution with  $\sigma = 1.48$  mm and beam central position at 30.87 mm.



Because of short traveling distance only half of the beam was scanned.



Horizontal profile of the beam shifted towards the VWS (beam current 3.4 nA)

## Calculations of "tail sensitivity"

Let's estimate the sensitivity of VWS with respect to the lower limit of beam intensity. In this case radiation losses of wire temperature are negligible and the balance of temperature is determined by the thermal conduction along the wire. Let the temperature of the wire near its fixation points be  $T_0$  and at the middle  $T_0 + T_m$  (triangular profile of the temperature along the wire). Thermo-conductive losses  $P = 4\pi\lambda r_w^2 T_m / l$ , where  $\lambda$  is the thermo-conductivity of the wire with the radius  $r_w$  and length  $l$ . Total power deposited on the wire  $Q = (\pi/2)^{0.5} (r_w^2 / \sigma_x) \exp(-x^2 / 2\sigma_x^2) (I_0 k dE/dy/e)$ , where  $\sigma_x$  is the beam size,  $x$  is the wire location with respect to the beam center,  $dE/dy$  are the ionization losses,  $k$  is coefficient transition ionization loss to heat of the wire. Usually  $k$  is approximately 0.3. From the thermal balance follows that:

$T_m = (1/4(2\pi)^{0.5})(l/\sigma_x) \exp(-x^2/2\sigma_x^2) (I_0 k dE/dy/e) / \lambda$ . Note that there is no dependence of  $T_m$  on the wire radius.


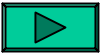
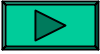
For beryllium-bronze wire and 100 mA proton beam with  $\sigma_x = 0.6$  cm (PETRA conditions) the value  $T_m$  of about 0.01 K (vibrating wire thermal sensitivity at presence of electromagnetic noises) is achieved at  $x = 5.7 \sigma$ .

The following estimation agrees well with this calculation: At the Yerivan experiment a significant increase of the temperature was achieved at about  $2 \sigma$ . At that wire position, the wire was hit by  $1.8 \cdot 10^8$  e/s. For the 100 mA PETRA beam with a width of  $\sigma = 0.6$  cm this amount is reached at about  $6.1 \sigma$ . Note that  $dE/dy$  for electrons and protons at ultra high energies is about identical.

## Plans:

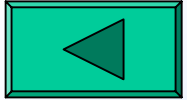
- VWS already installed in PETRA at DESY, waiting for beam.
- Both types of measurements can be done at the same time with the same scanner and with the fast scanner nearby.

## Questions:

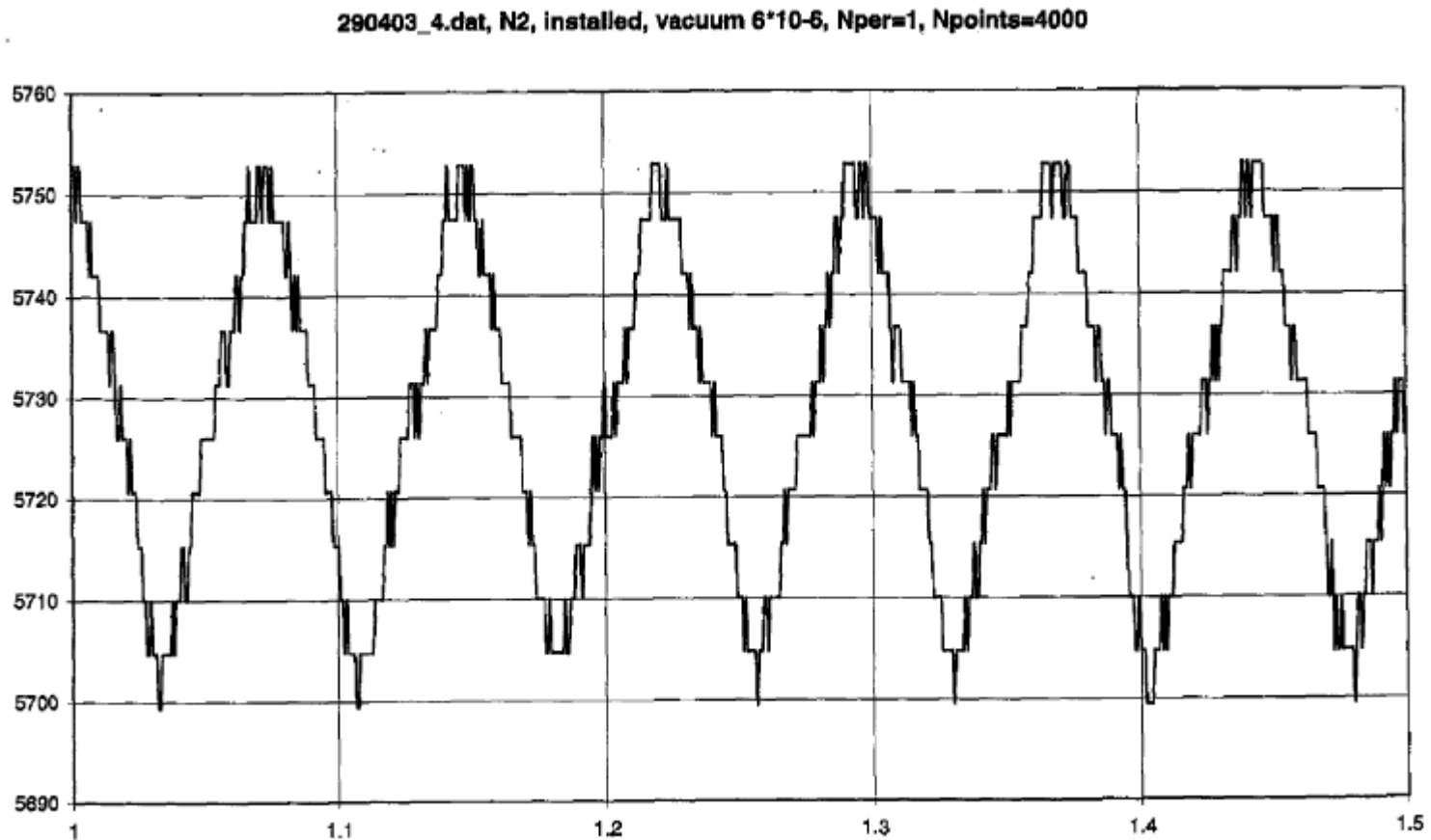
- Noise in VWS 
- Overlap to fast scan (burning wire/other wire material)?
- DC beam vs. bunched beam 
- Heating of the wire by HOM? 

## Summary:

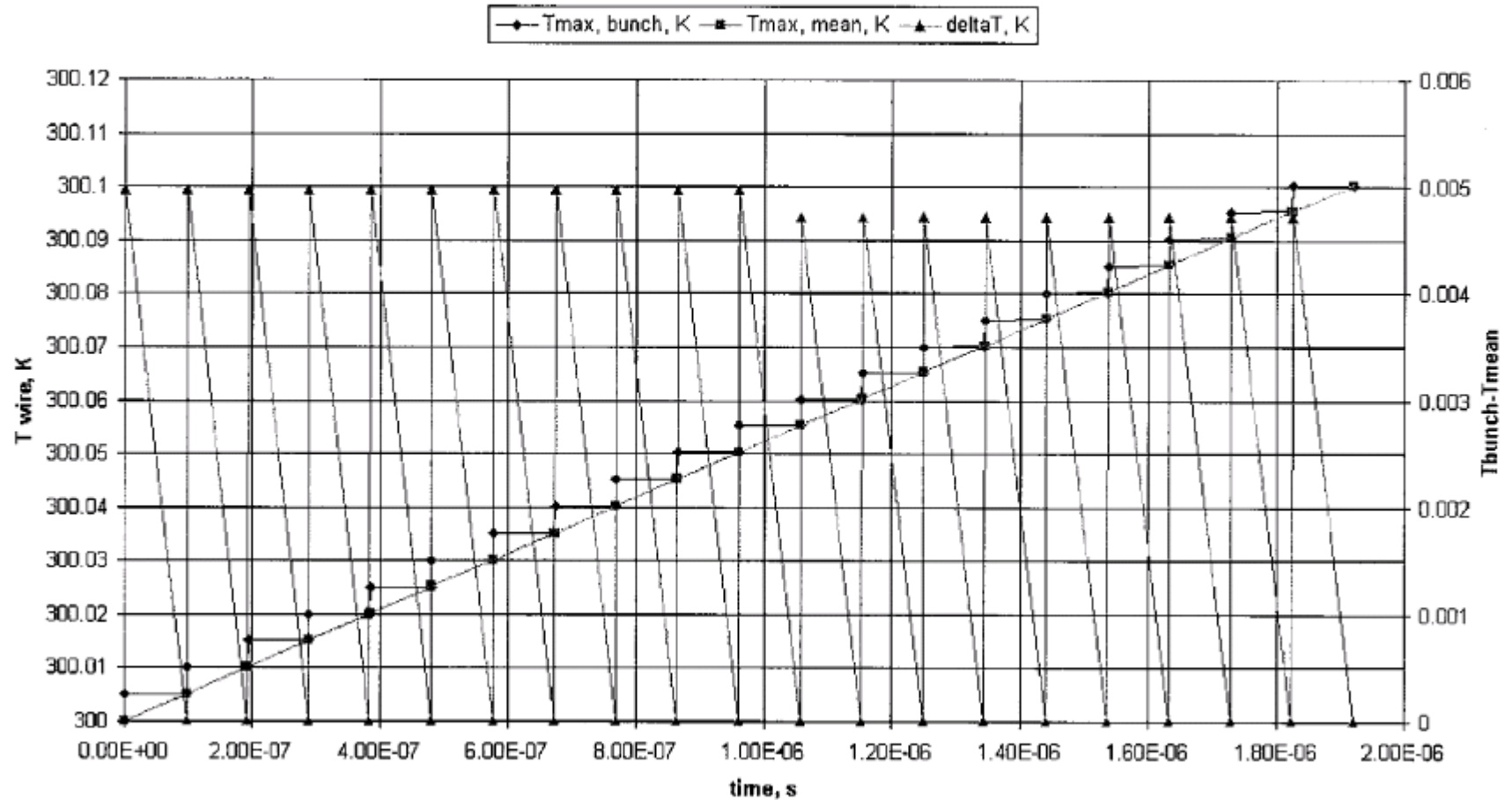
**First measurements with both methods are very promising for beam tail measurements down to about  $6\sigma$ .**



Mechanical vibrations due to water pumps, some 100 Hz.



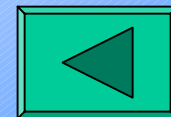
PETRA, p-beam, Comparison bunch structure model with mean current model  
 $I_{\text{mean}}=100 \text{ mA}$ ,  $x=0 \text{ mm}$ ,  $t_{\text{bunch}}=1 \text{ ns}$ ,  $t_{\text{bunch-to-bunch}}=96 \text{ ns}$

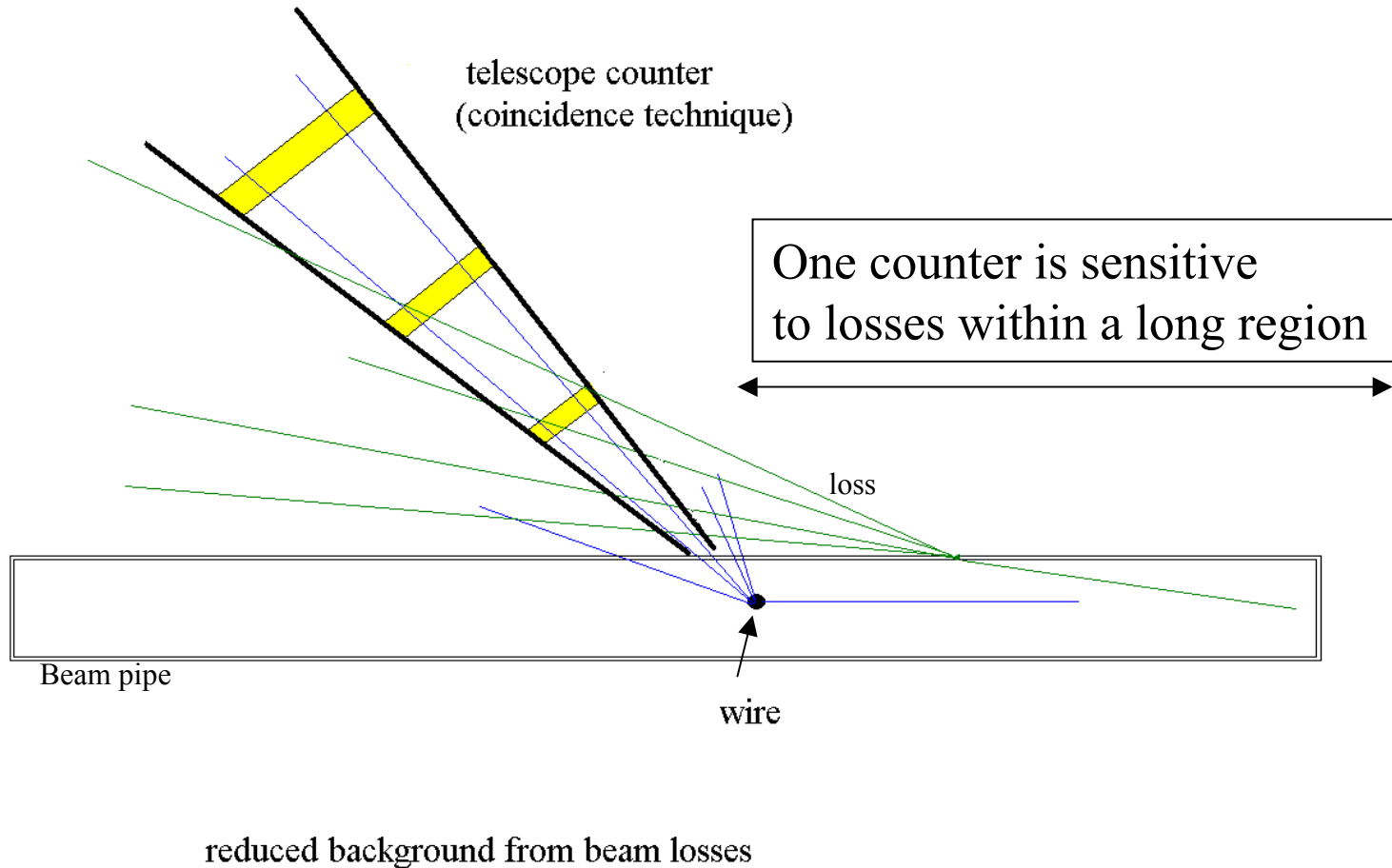


For comparison: Secondary emission signal (efficiency = 3%)

45 mA beam,  $\sigma = 5.27\text{mm}$ :

Buch rate		DC	10.4 MHz	10.4 kHz	1 Hz
SEM current:		[A]	e-/bunch	e-/bunch	e-/bunch
at 2 sigma		9.70E-07	6.02E+05	6.02E+08	6.02E+12
at 5 sigma		2.67E-11	16.6	1.66E+04	1.66E+08
at 6 sigma		1.09E-13	0.068	68	6.78E+05
charge/10 ns:		[A]	[A]	[A]	[A]
at 2 sigma		9.70E-07	0.000009632	0.009632	96.32
at 5 sigma		2.67E-11	2.656E-10	2.656E-07	0.002656
at 6 sigma		1.09E-13	1.088E-12	1.088E-09	0.000010848
particles/bunch:		DC	2.80E+10	2.80E+13	2.80E+17



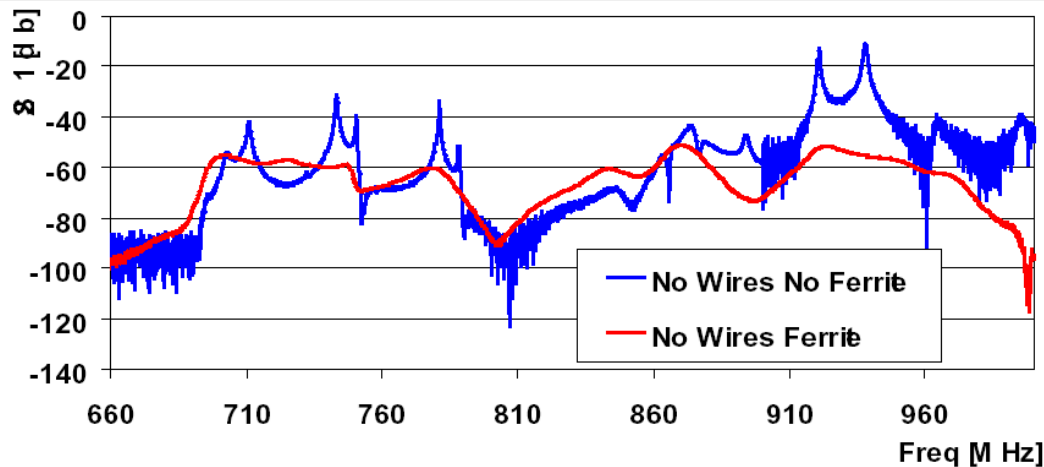


## SPS with LHC beam:

“The housing of the wire scanner acts as a cavity with a mode spectrum starting around 350MHz and high impedance values around 700 MHz. The carbon wire used so far appears to be an excellent RF absorber and thus dissipates a significant part of the beam-induced power.

.....

As a cure to the wire heating due to the beam-wire coupling, the SPS wire scanner tanks have been equipped with ferrite tiles in order to damp the resonating modes.”



## CAVITY MODE RELATED WIRE BREAKING OF THE SPS WIRE SCANNERS AND LOSS MEASUREMENTS OF WIRE MATERIALS

F. Caspers, B. Dehning, E. Jensen, J. Koopman, J.F. Malo, CERN, Geneva, Switzerland, F. Roncarolo, CERN/University of Lausanne, Switzerland

DIPAC03, Mainz